

$\Delta W \%$.

[1]

$$C = C_1 + C_2, \quad (1)$$

$$C = \frac{PK}{PT} + \frac{\Delta W \beta}{PT} + \frac{\Delta W \beta}{PT}; \quad (2)$$

$$C = \frac{PK}{PT} + \frac{\Delta W \beta}{PT} + \frac{\Delta W \beta}{PT}, \quad (3)$$

$\Delta W -$; $\beta -$ 1 $\cdot \Delta W$; $P -$ -
 $\Delta W -$; $\beta -$ 1 $\cdot \Delta W$; $P -$ -
 $P ; P -$; - -
 $K ; \Delta W -$ -
 $; \beta -$ 1 $\cdot \Delta W$; $\Delta W -$
 $; \beta -$ 1 $\cdot \Delta W$.

R

$$R, \quad R = R_1 + R_2 .$$

$$\Delta W = \frac{P^2 R \tau}{U^2 \cos^2 \varphi}, \quad (4)$$

$\tau -$; $\Delta W -$
 $, \Delta W = \Delta W_1 + \Delta W_2 ,$

$$\Delta W \% = \frac{P R 10^2}{U^2 \cos^2 \varphi} \tau, \quad (5)$$

$$P = \frac{\Delta W \% U^2 \cos^2 \varphi}{R 10^2} \tau \quad (6)$$

$$\beta = \beta = \beta, \quad P \quad (2) \quad (3) \quad (6)$$

$$C = \frac{(p K R + p K R) \cdot 10^2 \tau}{\Delta W \% U^2 \cos^2 \varphi T^2} + \frac{(\Delta W \beta R + \Delta W \beta R) \cdot 10^2 \tau}{\Delta W \% U^2 \cos^2 \varphi T^2} + \Delta W \% \frac{\beta}{10^2} =$$

$$= \frac{A}{\Delta W \%} + \frac{B}{\Delta W \%} + C \Delta W \% \quad (7)$$

A, , C -

(7) ,

$\Delta W \%$

$A / \Delta W \%$

$B / \Delta W \%$ -

$\Delta W \%$ -

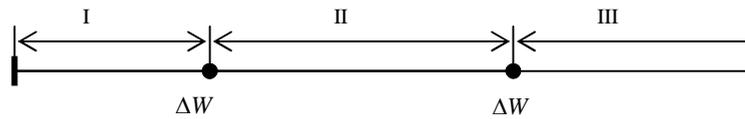
ΔW ,

ΔW .

ΔW

: I $-\Delta W < \Delta W$; II -

$\Delta W < \Delta W < \Delta W$; III $-\Delta W > \Delta W$ (. 1).



. 1.

(7)

. 2,

$D = A + B$,

$\Delta W \%$

« ».

. 1, 2.

$$D / \Delta W \% = A / \Delta W \% + B / \Delta W \%$$

$C \Delta W \%$.

min ,

ΔW .

I ($\Delta W'$),

C' , D' ,

$C\Delta W\%$ () -

(

C')

C_{\min} (C')

$D/\Delta W\%$ -

$A/\Delta W\%$

$B/\Delta W\%$.

ΔW II ($\Delta W''$),

(C'') - (D'')

(")

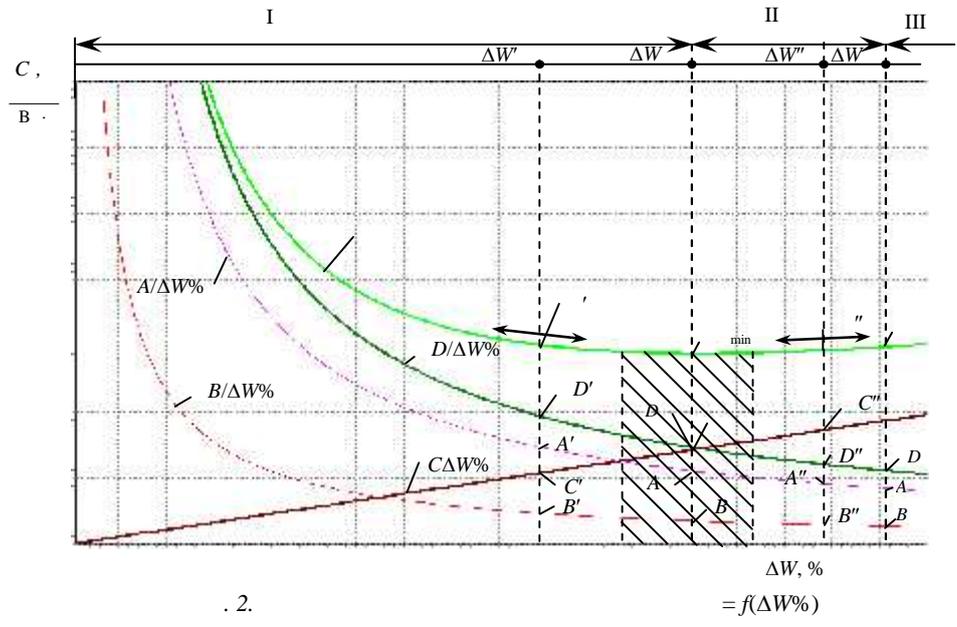
$D''/\Delta W\%$ $C\Delta W\%$.

. 2,

ΔW

I,

II III



$$\delta_j = S_j \frac{X_j}{Y}, \quad (8)$$

$$S_j - \quad ; Y - \quad ; X_j - \quad -$$

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$$= (\bar{\mathbf{X}}, t) \rightarrow \min, \quad (9)$$

$$\bar{\mathbf{X}} = \{\bar{\mathbf{X}}_1, \bar{\mathbf{X}}_2, \bar{\mathbf{X}}_3\}, \quad \bar{\mathbf{X}}_1 \in \Omega_1, \quad \bar{\mathbf{X}}_2 \in \Omega_2, \quad \bar{\mathbf{X}}_3 \in \Omega_3; \quad (10)$$

$$\bar{\mathbf{X}}_1 - \quad , \quad \bar{\mathbf{X}}_1 = \{F_1, F_2, \dots, F_n\}; \quad (11)$$

$$\bar{\mathbf{X}}_2 - \quad , \quad \bar{\mathbf{X}}_2 = \{S_1, S_2, \dots, S_n\}; \quad (12)$$

$$\bar{\mathbf{X}}_3 - \quad , \quad \bar{\mathbf{X}}_3 = \{Q_1, Q_2, \dots, Q_n\}. \quad (13)$$

$$\bar{g}_i = \bar{g}_i(\bar{\mathbf{X}}_1, \bar{\mathbf{X}}_2, \bar{\mathbf{X}}_3) \quad \{\leq, =, >\} b_i, \quad i \in \overline{1, k}, \quad k = n + m + l. \quad (14)$$

$$1. \quad = (\bar{\mathbf{X}}^{(0)}).$$

$$\bar{\mathbf{X}} = \bar{\mathbf{X}}^{(0)}$$

$$2. \quad (8)$$

3.

$$\frac{\partial}{\partial i} \approx 0$$

$$\bar{X} \quad \frac{\partial}{\partial X} \quad (9),$$

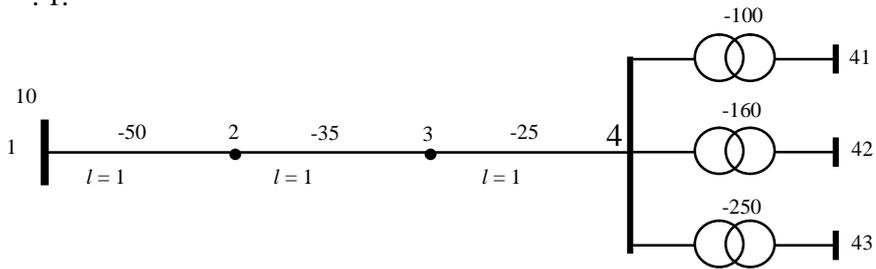
4.

$$\frac{\partial}{\partial i} \approx 0$$

[1],

$\tau = 1500$; $\beta = 0,032$; $\text{sq} = 1$; $\beta = 0,032$; $\beta = 0,016$; $\beta = 0,254$; $\beta = 15\%$;

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. 3.

. 3.

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. 3

		%					
1-2	-50	-	-	76,5	0,576	0,034	-
2-3	-35	-	-	76,5	0,830	0,049	-
3-4	-25	-	-	76,5	1,140	0,067	-
4-41	-100	570	15	15,0	22,700	0,051	0,33
4-42	-160	740	15	24,0	10,400	0,059	0,51

4-43	-250	1000	15	37,5	6,700	0,094	0,74
						0,354	1,58

ΔW

. 3 -

$$\Delta W = 0,354 \cdot 1500 = 531,00 \quad ;$$

ΔW

$$\Delta W = 1,58 \cdot 8760 = 13840,80 \quad . .$$

W

$$W = . + \Delta W + \Delta W = 76,5 \cdot 3400 + 531,00 + 13840,80 = 274471,80 \quad . .$$

:

$$\Delta W \% = (531,00/274471,8) \cdot 100 = 0,19 \%;$$

$$\Delta W \% = (13840,8/274471,8) \cdot 100 = 5,04 \%;$$

$$\Delta W_{\Sigma\%} = 0,19 + 5,04 = 5,23 \%$$

. 3

100; 160 250 ñ .

k_C

[1, 3]

$$k_C = \sqrt{\frac{p K + \Delta P_x T \beta_x}{\Delta P \tau \beta + \sum \frac{S^2}{U^2} r_i \tau_i \beta_i}} \quad (15)$$

:

$$k_C^{100} = \sqrt{\frac{0,254 \cdot 570 + 0,33 \cdot 8760 \cdot 0,016}{2,27 \cdot 1500 \cdot 0,032 + [100^2/10^2 \cdot (0,576 + 0,83 + 1,14) \cdot 1500 \cdot 0,032]/1000}} = 1,54;$$

$$k_C^{160} = \sqrt{\frac{0,254 \cdot 740 + 0,51 \cdot 8760 \cdot 0,016}{2,65 \cdot 1500 \cdot 0,032 + [160^2/10^2 \cdot (0,576 + 0,83 + 1,14) \cdot 1500 \cdot 0,032]/1000}} = 1,21;$$

$$k_C^{250} = \sqrt{\frac{0,254 \cdot 1000 + 0,74 \cdot 8760 \cdot 0,016}{4,2 \cdot 1500 \cdot 0,032 + [250^2/10^2 \cdot (0,576 + 0,83 + 1,14) \cdot 1500 \cdot 0,032]/1000}} = 1,04 .$$

(154; 121 104 %)

. 2.

$$\Delta W = 20,13 \cdot 1500 = 30195,00 \quad ;$$

$$\Delta W = 1,58 \cdot 8760 = 13840,80 \quad . .$$

$$W = \dots + \Delta W + \Delta W = 607,60 \cdot 3400 + 30195,00 + 13840,80 = 2109875,80$$

2

.3

		%				
1-2	-50	-	607,6	0,576	1,02	-
2-3	-35	-	607,6	0,830	3,27	-
3-4	-25	-	607,6	1,140	2,04	-
4-41	-100	154	154,0	22,700	5,38	0,33
4-42	-160	121	193,6	10,400	3,90	0,51
4-43	-250	104	260,0	6,700	4,52	0,74
:					20,13	1,58

:

$$\Delta W_{\%} = (30195,00/2109875,80) \cdot 100 = 1,43 \%$$

$$\Delta W_{\%} = (13840,8/2109875,80) \cdot 100 = 0,65 \%$$

$$\Delta W_{\Sigma\%} = 1,43 + 0,65 = 2,08 \%$$

100; 160 250 ñ **25; 25 40** ñ ,

(. 3).

3

		, %				
1-2	-50	-	76,5	0,576	0,034	-
2-3	-35	-	76,5	0,830	0,049	-
3-4	-25	-	76,5	1,140	0,067	-
4-41	-25	60	15,0	22,700	0,248	0,130
4-42	-25	96	24,0	10,400	0,634	0,130
4-43	-40	94	37,5	6,700	0,879	0,175
:					1,909	0,435

$$\Delta W = 1,909 \cdot 1500 = 2863,50$$

$$\Delta W = 0,435 \cdot 8760 = 3810,60 \quad \dots$$

$$W = 76,5 \cdot 3400 + 2863,50 + 3810,60 = 266774,10 \quad \dots$$

:

$$\Delta W_{\%} = (2863,50/266774,10) \cdot 100 = 1,07 \%$$

$$\Delta W_{\%} = (3810,60/266774,10) \cdot 100 = 1,43 \%$$

$$\Delta W_{\Sigma\%} = 1,07 + 1,43 = 2,50 \%$$

1. ,
c 5,23 2,08 %, . . .

2. ,
5,23 2,50 %, . . .

(2,08 2,50 %)

1. . . . i , 2000. – 247 .

2. . . . // ... (. . .) -
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3. // ... (. . .) . -

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0,4

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[1, 2] «

0,38–35 » [3],